



Calibration Ringing and its correction in MTG-S IRS

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Calibration Ringing in Fourier Transform spectrometer, Application to IRS LWIR band:

- **Definition**
- **Correction**
- **Discussion**
- **Summary**





- **Measurement:** $L1A(\nu) = (\boxed{\text{Scene: } Sp(\nu)} \times \boxed{\text{Instrument transmission: } R(\nu)}) \otimes \boxed{\text{Spectral Response Function: } SRF(\nu)}$

- **Radiometric calibration:**

$$L1A_r(\nu) = \frac{EV(\nu) - DS2(\nu)}{BB(\nu) - DS1(\nu)} \times \Gamma(\nu, T_{BB})$$

- **Radiometric calibration:**

- Same transmission for the four views (back optics)
- The BB spectrum is flat at the scale of the SRF,

$$\rightarrow \boxed{L1A_r(\nu) = \frac{[(Sp_{atm} \times R) \otimes SRF](\nu)}{[R \otimes SRF](\nu)} \neq [Sp_{atm} \otimes SRF](\nu)}$$

- The product still depends on the instrument,
- The radiometric calibration “works” only if the transmission R is also flat at the scale of the SRF.



- **SRF distortion:**

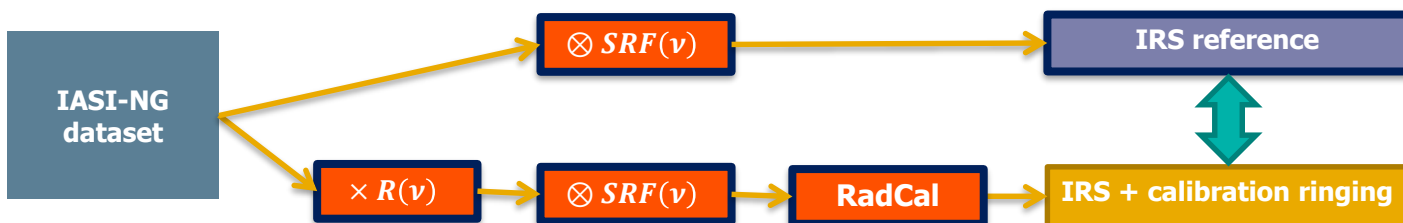
(Dussarrat et al. *arXiv:2111.08574*, 2021)

- The SRF is distorted:

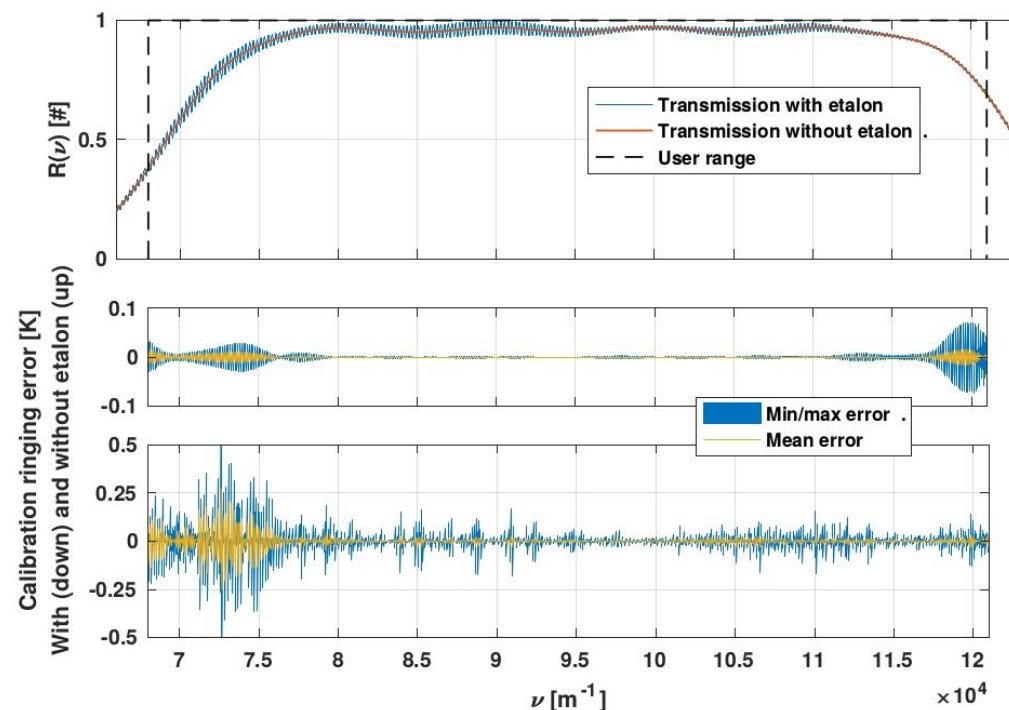
$$\widetilde{SRF}_{\nu_0}(\nu) = \frac{R(\nu_0 - \nu)}{[R \otimes SRF](\nu_0)} \times SRF(\nu)$$

- The calibrated product at ν_0 depends on the local behaviour of the transmission around ν_0 .
- **NB:** That is why the industry provides the SRFs including the distortions for all channels and pixels. Therefore the data can be well interpreted anyway !
- **However, it is not reasonable for most users to account for this distortions in their applications (in the RT-models for example)**
- If we neglect the distortions in the data application, it leads to a radiometric error called the: **Calibration Ringing.**

- **Example of calibration ringing:**
 - In the context of MTG-S IRS LWIR band
 - Low finesse etalon in a protective layer producing a transmission modulation: few %, etalon frequency: $f \sim 0.4\text{cm}$
 - Using a IASI-NG simulation dataset as a high-resolution proxy for IRS, we compute the expected error:



- No calibration ringing expected in MWIR (not shown)
- Etalon is dominating the error,
- Calibration ringing $< 100\text{mK}$ bias for $> 800\text{cm}^{-1}$
- Maximum error: 500mK at 720cm^{-1} (TBC)



- **Radiometric Transfer Function (RTF) Uniformisation - IRS:**

- We look for a “direct” post-correction, multiplying the product by $f_{corr}(v)$:

$$L1B(v) = L1A_r(v) \times f_{corr}(v) = [Sp_{atm} \otimes SRF](v)$$

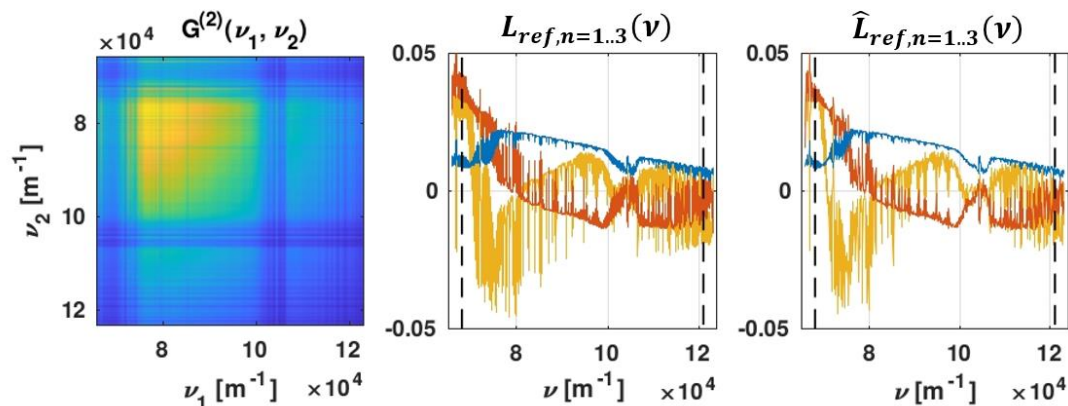
- We use a high-resolution guess of the atmospheric spectrum $Sp_{ref}(v)$:

$$L1B(v) = \frac{L1A_r(v)}{[(Sp_{atm} \times R) \otimes SRF](v)} \times \frac{f_{corr}(v)}{[(Sp_{ref} \times R) \otimes SRF](v)} \cong [Sp_{atm} \otimes SRF](v)$$

Required high-resolution guess equivalent maximum OPD: $> 0.8cm + 2f \sim 1.6cm$

- The high-resolution guess is performed using a principal component decomposition.

- **Radiometric Transfer Function (RTF) Uniformisation - IRS:**
 - We define a high resolution basis and its IRS-resolution counterpart:



- The PC scores are computed and used to define the guess:

$$PC(n) = \sum_{\nu_0} L1A_r(\nu_0) \times \hat{L}_{ref,n}(\nu_0) \rightarrow Sp_{ref}(\nu) = \sum_n PC(n) \times L_{ref,n}(\nu)$$

- Finally the correction vector is computed:

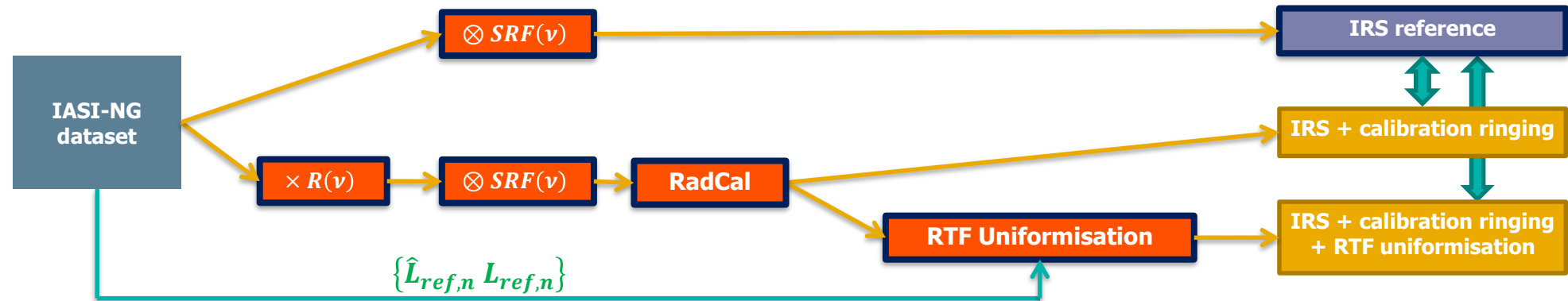
$$f_{corr}(\nu) = \frac{[R \otimes SRF](\nu) \times [Sp_{ref} \otimes SRF](\nu)}{[(Sp_{ref} \times R) \otimes SRF](\nu)}$$

From the DS1 and BB calibration views

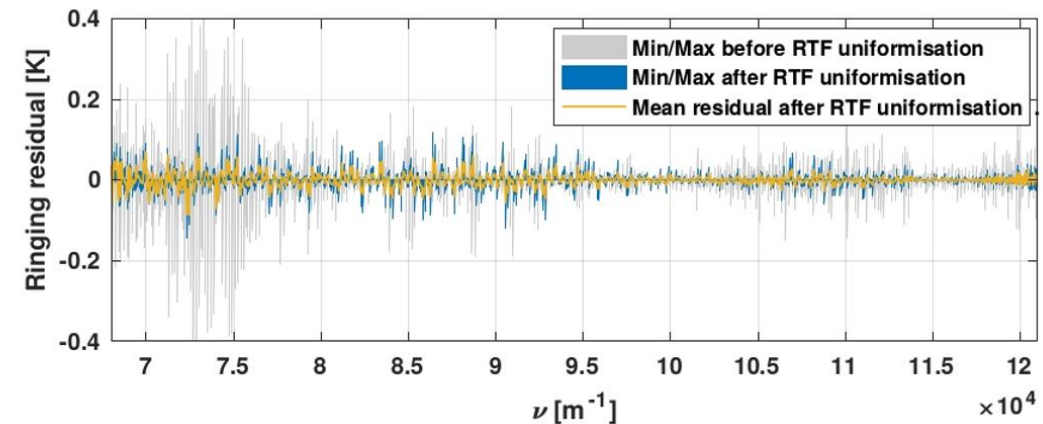
High-resolution interpolation of $[R \otimes SRF](\nu)$
Accurate if etalon frequency $f < MOPD$: **Ok**

Results:

- A IASI-NG simulation dataset is used to compute the two PC basis (orbit nb 1) and the IRS measurements as proxy (orbit nb 2).



- Using 10 PCs, we decrease the maximum error from 500 to 100mK.
- The efficiency is intrinsically limited since we cannot perfectly guess a high-resolution spectrum from only low-resolution measurements.





- **Instead of the RTF Uniformisation, can we account for the SRF distortions in the data application, in the RT-models for example ? Yes but no.**
 - The etalon properties depend on the pixel and wavenumber, therefore one should use many high-resolution SRFs,
 - One set of RTTOV coefficients for every pixels and channel in the LWIR ?! It seems out of reach for most of us !
- **Can the RTF uniformisation impact some species retrieval ?**
 - The RTF uniformisation is planned to be applied only at the beginning of LWIR band of IRS, in the CO2 band.
 - The PC basis could be produced using real measurements as IASI-NG to avoid potential model biases.
 - **To be discussed !**
- Transmission variations at the scale of the SRF should be corrected at hardware level if possible in the next generation of instruments ! **And IASI-NG ?**
Most likely a forgotten effect since it had no impact on IASI (~flat RTF) !



- The Radiometric Transfer Function “fast” spectral variations are not properly cancelled at the radiometric calibration step.
- The residual is called the Calibration Ringing.®
- Its impact is computed by the industry for information but not accounted in the radiometric budget
- Calibration ringing could have an impact on IRS ($\sim 500\text{mK}$ error max $< 800\text{cm}^{-1}$) for the users not using the SRFs per pixel and channel including the distortions. **TBC**
NB: Nonetheless, the IRS performance should remain excellent !
- Calibration ringing cannot be corrected by simple bias correction or standard uniformisation.
- **For IRS LWIR band, EUM in collaboration with Spascia has developed a post-correction using high resolution guesses, ready for launch in IDPF-S v2.**
→ **RTF Uniformisation : 500mK error max to 100mK max**



Thank you!

Questions are welcome.